Section: 13.1
Work


- What is work?
- The product of the to an object and the $\qquad$ through which that

- Work is $\qquad$ when an $\qquad$ is $\qquad$
- All or part of the $\qquad$ must act in the $\qquad$ of the $\qquad$ .
- When an Olympic weight lifter presses a barbell over his head?
- When he has to hold it there until the judges say he can put it down?
- Do you do more work when you finish a job quickly?
- Energy is expressed in $\qquad$
- Energy can be expressed more specifically by using the term $\qquad$


## Calculating Work

- Work= $\qquad$ $x$ $\qquad$
- $W=F \times d$
$\qquad$
- Unit for Work:

Units of work

| Force $=$ |
| :--- | :--- |
| Distance $=$ |
| Work $=\quad \times \quad(N \cdot m)$ |
| $N \cdot m=$ |

What is the formula when solving for force?
-

- What is Power?
- 
- How $\qquad$ work is done

- It Running up stairs is harder than walking up stairs
- Why? $\qquad$ .
- Your $\qquad$ would be greater than if you walked up the stairs.
- If two people mow two lawns of equal size and one does the job in half the time, who did more work?


## Calculating Power

- Power is $\qquad$ divided by $\qquad$
- Power =
- Units for power is $\qquad$
Power =
Work=
Time=

```
What is the formula when solving for time?
```


## Practice Problem (Power)

1. A student lifts a 12 N textbook 1.5 m of the floor in 1.5 s .

How much work was done?
How much power was used?
2. A 43 N force is exerted through 2.0 m distance for 3.0 s .

How much work was done?
How much power was used?
3. While rowing across the lake during a race, John does $3,960 \mathrm{~J}$ of work on the oars in 60.0 s . What is his power output in watts?
4. Anna walks up the stairs on her way to class. She weighs 565 N , and the stairs go up 3.25 vertically.
a. If Anna climbs the stairs in 12.6 s , what is her power output?
b. What is her power output if she climbs the stairs in 10.5 s?

## Machines

- A device that makes work $\qquad$
- A machine can change the $\qquad$ the direction, or the distance over which a $\qquad$ .
- They $\qquad$ by using a small force to go a $\qquad$
- Things like $\qquad$ levers, etc.


## Mechanical Advantage

- Mechanical Advantage:
- How many times a machine multiplies the $\qquad$
- Mechanical advantage $\qquad$
- $\qquad$ it multiplies distance,


## Forces Involved:

## Input Forces

## Calculating Mechanical Advantage

- Mechanical Advantage $=$ $\qquad$ MA = Force= Distance =
- Mechanical Advantage $=$ $\qquad$
Output Forces


## Practice Problem (Mechanical Advantage)

1. Find the mechanical advantage of a ramp that is 6.0 m long and 1.5 m tall.
2. Alex pulls on the handle of a claw hammer with a force of 15 N . If the hammer has a mechanical advantage of 5.2 , how much force is exerted on the nail in the claw?
3. If an input force of 202 N is applied to the handles of the wheelbarrow with a mechanical advantage of 2.2. How large is the output force that just lifts the load?
4. Suppose you need to remove a nail from a board by using a claw hammer. What is the input distance for a claw hammer if the output distance is 2.0 cm and the mechanical advantage is 5.5 ?

## Section: 13.2 Simple Machines

## What is a Simple Machine?

- 
- Make $\qquad$
- $\qquad$ types


## Simple Machines

1. Levers

- A bar that is free to pivot, or move about a fixed point when an input force is applied.
- $\qquad$ $=$ the pivot point of a lever.
- 3 Classes of Levers


## Levers- $1^{\text {st }}$ Class

- The fulcrum is in the $\qquad$ and the load and effort is on $\qquad$
- Makes work easier by multiplying the
$\qquad$ AND changing


## - Ex:

## Levers-2 ${ }^{\text {nd }}$ Class

- The fulcrum is at the $\qquad$ with the
$\qquad$ in the middle
- Makes work easier by multiplying the
$\qquad$ but $\qquad$ changing
direction.
- Ex:

Levers- $3^{\text {rd }}$ Class

- The fulcrum is again at the $\qquad$ but the
$\qquad$ is in the middle
Does $\qquad$ the effort
force, only multiplies the .

- Ex:

2. Wheel and axles

- A lever that $\qquad$
- A combination of $\qquad$ of different $\qquad$
- Smaller wheel is termed $\qquad$
- MA = Radius of $\qquad$ /Radius of $\qquad$


## 3. Inclined Planes (Ramps)

- An inclined plane is a
- Inclined planes make the work of $\qquad$ things easier
- Reduces $\qquad$

4. Wedges

- 

$\circ$ Wedges are used to $s$ $\qquad$ .
5. Screws

- An $\qquad$ wrapped around a $\qquad$
- The inclined plane allows the screw to $\qquad$ .

6. Pulleys
 .


- Wheels with a $\qquad$
- A pulley needs a $\qquad$ , chain or belt around the $\qquad$ to make it do work
- They
- Enables us to use $\qquad$ to help us (it is usually easier to pull down to lift something up)
- One end of rope has a $\qquad$
- Why use pulleys?

| Types of Pulleys |  |
| :---: | :---: |
| Fixed Pulleys | Movable Pulleys |
| Object $\qquad$ <br> Pulley stays in the $\qquad$ <br> Force applied only on $\qquad$ of the rope | Pulley is attached to $\qquad$ <br> Pulley and object $\qquad$ Rope is $\qquad$ to something that does not $\qquad$ <br> Force applied to other $\qquad$ |
| $M A=$ | MA= |
|  | Draw |

Try this out: What is the mechanical advantage for each of the pulleys in the image?

## Compound Machines



- Compound machine: a machine that combines
- $\qquad$ can be put together in different ways to make

