### Chapter 13.1 & 13.2 Notes Work, Power, and Simple Machines

### Section: 13.1

### <u>Work</u>

- What is work?



- Work is \_\_\_\_\_\_ when an \_\_\_\_\_\_ is \_\_\_\_\_
- All or part of the \_\_\_\_\_ must act in the \_\_\_\_\_ of the \_\_\_\_\_
  - When an Olympic weight lifter presses a barbell over his head?
  - When he has to hold it there until the judges say he can put it down?
- Do you do more work when you finish a job quickly?
- Energy is expressed in \_\_\_\_\_\_
  - Energy can be expressed more specifically by using the term \_\_\_\_\_\_

# Calculating Work

- Work= \_\_\_\_\_ x \_\_\_\_\_
- W = F x d
- Unit for Work: \_\_\_\_\_

# <u>Units of work</u>

Force=		
Distance=		
Work=	x	(N·m)
N·m=		

What is the formula when solving for force?

What is the formula when solving for distance?

# Practice Problem (Work)

1. A crane uses an average force of 5,200 N to lift a girder 25 m. How much work does the crane do on the girder?

2. A bicycle's brakes apply 125 N of frictional force to the wheels as the bike moves 14.0 m. How much work do the brakes do?

3. A mechanic uses a hydraulic life to raise a 1,200 kg car 0.50 m off the ground. How much work does the lift do on the car?

4. A car has run out of gas. Fortunately, there is a gas station nearby. You must exert a force of 715 N on the car in order to move it. By the time you reach the station, you have done  $2.72 \times 10^4$  J of work. How far have you pushed the car?

### Power

- What is Power?
  - 0
  - How \_\_\_\_\_ work is done
- It Running up stairs is harder than walking up stairs
  - Why? \_\_\_\_\_
    - Your \_\_\_\_\_\_ would be greater than if you walked up the stairs.
- If two people mow two lawns of equal size and one does the job in half the time, who did more work?

#### **Calculating Power**

- Power is \_\_\_\_\_ divided by \_\_\_\_\_
- Power =
- Units for power is \_\_\_\_\_

Power =	
Work=	
Time=	

What is the formula when solving for work?

What is the formula when solving for time?

### Practice Problem (Power)

1. A student lifts a 12 N textbook 1.5 m of the floor in 1.5 s.

How much work was done?

How much power was used?

2. A 43 N force is exerted through 2.0 m distance for 3.0 s. How much work was done? How much power was used?

3. While rowing across the lake during a race, John does 3,960 J of work on the oars in 60.0 s. What is his power output in watts?

4. Anna walks up the stairs on her way to class. She weighs 565 N, and the stairs go up 3.25 vertically. a. If Anna climbs the stairs in 12.6 s, what is her power output?

b. What is her power output if she climbs the stairs in 10.5 s?



### <u>Machines</u>

- A device that makes work \_\_\_\_\_\_
- A machine can change the \_\_\_\_\_, the direction, or the distance over which a \_\_\_\_\_.
- They \_\_\_\_\_ by using a small force to go a \_\_\_\_\_
- Things like \_\_\_\_\_, levers, etc.

## Mechanical Advantage

- Mechanical Advantage:
- How many times a machine multiplies the \_\_\_\_\_\_
- Mechanical advantage \_\_\_\_\_\_
- \_\_\_\_\_ it multiplies distance, \_\_\_\_\_

### Forces Involved:

Input Forces

# **Output Forces**

## Calculating Mechanical Advantage

- Mechanical Advantage = \_\_\_\_\_
- Mechanical Advantage = \_\_\_\_\_

### Practice Problem (Mechanical Advantage)

1. Find the mechanical advantage of a ramp that is 6.0 m long and 1.5 m tall.

2. Alex pulls on the handle of a claw hammer with a force of 15 N. If the hammer has a mechanical advantage of 5.2, how much force is exerted on the nail in the claw?

3. If an input force of 202 N is applied to the handles of the wheelbarrow with a mechanical advantage of 2.2. How large is the output force that just lifts the load?

4. Suppose you need to remove a nail from a board by using a claw hammer. What is the input distance for a claw hammer if the output distance is 2.0 cm and the mechanical advantage is 5.5?

MA = Force= Distance =

## Section: 13.2 Simple Machines

What is a Simple Machine?

- •
- Make \_\_\_\_\_
- \_\_\_\_\_ types

### **Simple Machines**

- 1. Levers
  - A bar that is free to pivot, or move about a fixed point when an input force is applied.
  - \_\_\_\_\_ = the pivot point of a lever.
  - <u>3 Classes of Levers</u>

#### Levers-1<sup>st</sup> Class

- The fulcrum is in the \_\_\_\_\_ and the load and effort is on \_\_\_\_\_
- Makes work easier by multiplying the \_\_\_\_\_ AND changing

• Ex:

### Levers-2<sup>nd</sup> Class

- The fulcrum is at the \_\_\_\_\_, with the \_\_\_\_\_, with the
- $\circ$  Makes work easier by multiplying the

\_\_\_\_\_ but \_\_\_\_\_ changing

direction.

• E**x**:

### Levers-3<sup>rd</sup> Class

- The fulcrum is again at the \_\_\_\_\_, but the \_\_\_\_\_ is in the middle
- Does \_\_\_\_\_\_ the effort force, only multiplies the



# 2. Wheel and axles

- A lever that \_\_\_\_\_\_
- A combination of \_\_\_\_\_\_ of different \_\_\_\_\_
- Smaller wheel is termed \_\_\_\_\_
- MA = Radius of \_\_\_\_\_/Radius of \_\_\_\_\_

### 3. Inclined Planes (Ramps)

- An inclined plane is a
- Inclined planes make the work of\_\_\_\_\_\_ things easier



Reduces \_\_\_\_\_\_



- One end of rope has a \_\_\_\_\_
- Why use pulleys?



Try this out: What is the mechanical advantage for each of the pulleys in the image?



### Compound Machines

- Compound machine: a machine that combines \_\_\_\_\_
- $\circ$  \_\_\_\_\_ can be put together in different ways to make